

# **DETECTORS for PARTICLE IDENTIFICATION**

**Lecture I - Time-of-Flight and  $dE/dx$**

**Lecture II - Cerenkov and Transition  
Radiation**

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The techniques I will discuss -

- determine the mass and therefore the species of charged particles
- are non-destructive
- require that the momentum be independently measured in the same or a different sub-detector

## Time-of-Flight

A relativistic particle traveling at velocity,  $v$ , traverses distance,  $D$ , in time,  $t$ , given by

$$t = \frac{D}{v} = \frac{D}{\beta c} = \frac{DE}{pc^2},$$

where  $E$  and  $pc$  are the particle energy and momentum. Then,

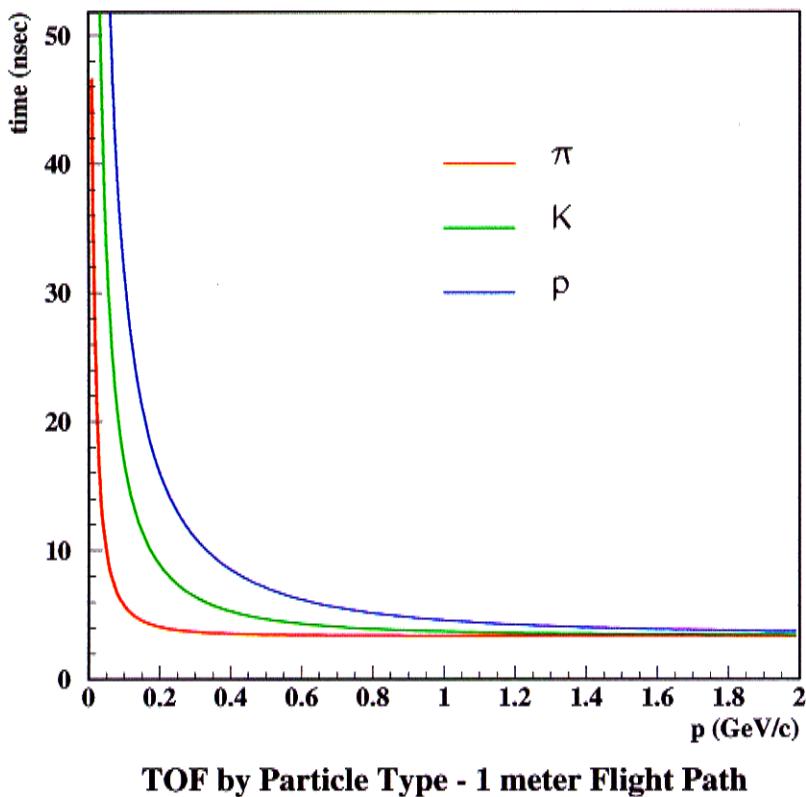
$$\begin{aligned} t &= \frac{D\sqrt{(pc)^2 + (m_0c^2)^2}}{pc^2} \\ &= \frac{D}{c} \left( 1 + \frac{(m_0c^2)^2}{(pc)^2} \right)^{\frac{1}{2}} = t_o \left( 1 + \frac{(m_0c^2)^2}{(pc)^2} \right)^{\frac{1}{2}} \end{aligned}$$

where  $t_o = D/c$  is the time it would take a particle traveling at the speed of light to traverse distance  $D$ .

Just how much time is this?

$$\frac{1}{c} = \frac{1}{3. \times 10^8 m/sec} = 3.33 \times 10^{-9} sec/m$$

This is **small**, only 3.33 nsec! And, because of the dependence on  $m_0 c^2 / pc$ , we approach this limit very quickly as the particle momentum increases. This is demonstrated in the plot shown below, where you can see that it is likely to be very difficult to use this technique above a momentum of about 1 GeV/c.



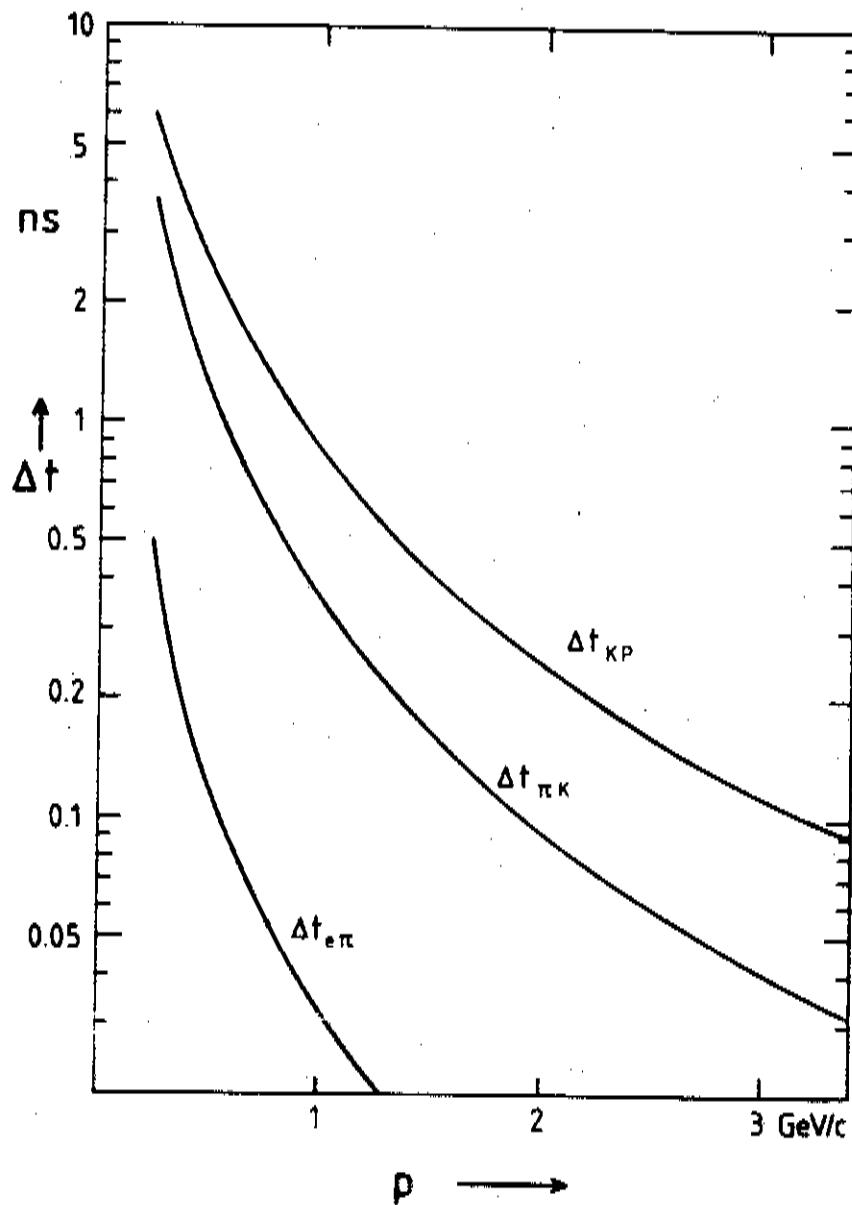
For particles with two different masses,  $m_1 c^2$  and  $m_2 c^2$ , and the same momentum,  $p c$ , the **difference** in the time-of-flight over a distance,  $D$ , is given by:

$$t_1 - t_2 = t_o \left[ \sqrt{1 + \frac{(m_1 c^2)^2}{(p c)^2}} - \sqrt{1 + \frac{(m_2 c^2)^2}{(p c)^2}} \right]$$

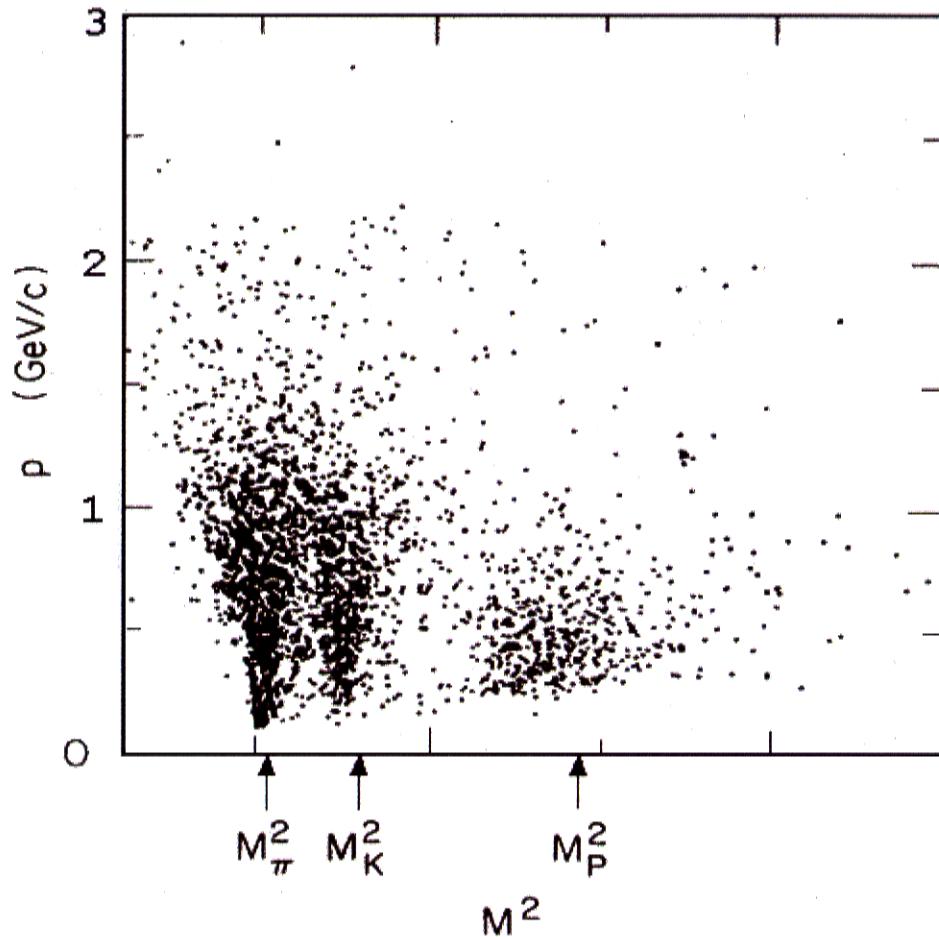
When  $(p c)^2 \gg (m_1 c^2)^2, (m_2 c^2)^2$ , we can substitute a series expansion for the two square roots,

$$t_1 - t_2 = t_o \left[ \frac{(m_1 c^2)^2 - (m_2 c^2)^2}{2(p c)^2} \right]$$

The dependence of the time difference on the inverse of the momentum squared in this limit is clearly demonstrated in the figure on the next transparency, which shows the difference in the time-of-flight for pions and kaons, kaons and protons, and protons and kaons as a function of momentum, over a flight path of 1.0 m.



**$\Delta t$  versus momentum for  
 $Kp$ ,  $\pi K$ , and  $e\pi$  over a  
flight path of 1 meter.**



Squaring the basic equation, we obtain -

$$(m_{oc}c^2)^2 = (pc)^2 \left[ \frac{t^2}{t_o^2} - 1 \right]$$

The plot above shows  $(m_{oc}c^2)^2$  for  $\pi$ 's,  $K$ 's, and  $p$ 's from **MARK II** data. The resolution of the TOF detector for the experiment was  $\Delta t = 300 \text{ picoseconds}$

Differentiating,

$$\Delta(m_o c^2)^2 \simeq (pc)^2 \left( \frac{2t\Delta t}{t_o^2} \right)$$

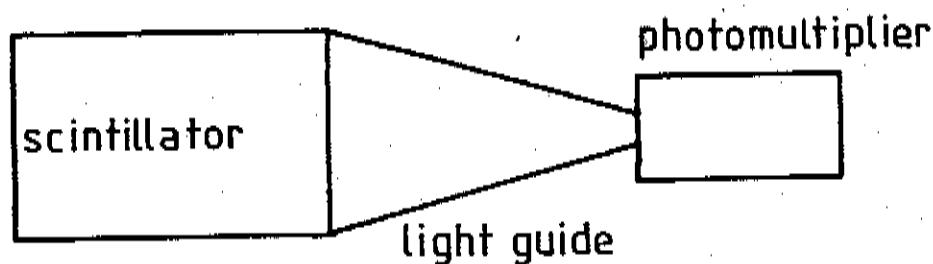
$$= \left[ (pc)^2 \left( 1 + \frac{(m_o c^2)^2}{(pc)^2} \right)^{\frac{1}{2}} \right] \frac{2\Delta t}{t_o}$$

Thus, two particles are separable when -

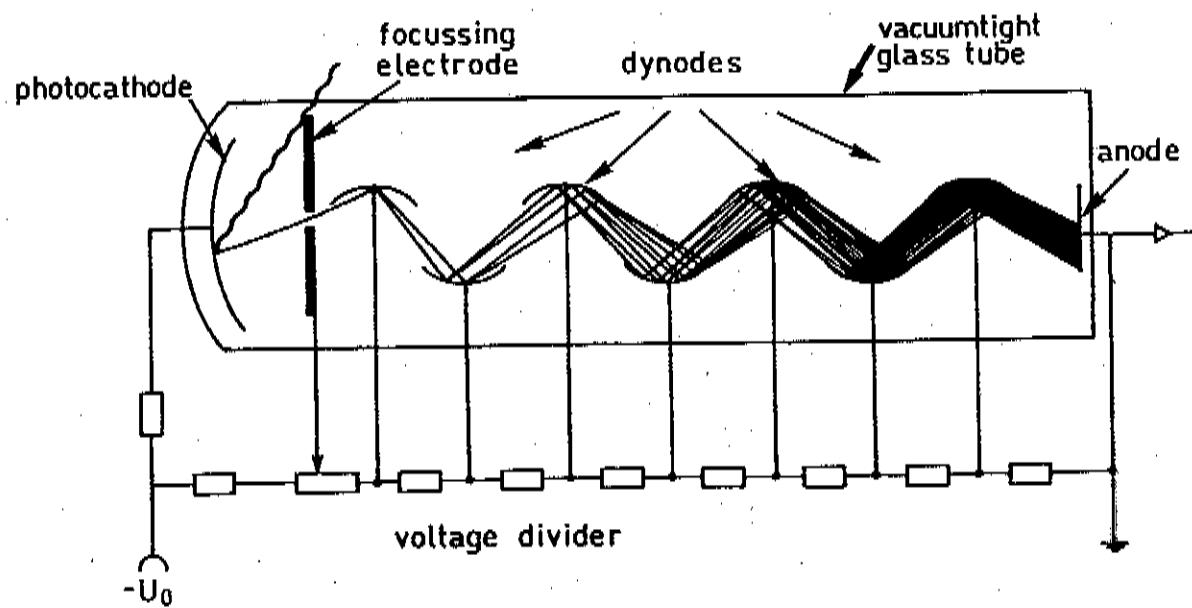
$$\eta = \beta\gamma = \frac{pc}{m_o c^2} \leq \sqrt{\frac{t_o}{2\Delta t}}$$

How do we measure time and how good is the measurement?

The most common device used to measure time in time-of-flight detectors is a scintillation counter with attached photomultiplier tube (PMT).



Schematic showing the response of a PMT to an incident photon.



What are the sources of uncertainty in the times we measure with this device?

Finite rise and decay times of the fluorescence in the scintillator material. Since this is a stochastic process the exact times at which the photons are emitted can't be predicted. We can use "fast" organic scintillator to keep the uncertainty as small as possible.

The signal output can be mathematically described by -

$$N(t) = N_0 f(\sigma, t) e^{-\frac{t}{\tau}},$$

where  $f(\sigma, t)$  is a Gaussian with standard deviation  $\sigma$  and  $\tau$  is the decay constant. For some common "fast" scintillators, these fit parameters are:

Scintillator	$\sigma$ (ns)	$\tau$ (ns)
NE102A	0.7	2.4
NE111	0.2	1.7
Naton 136	0.5	1.87

Difference in pulse signal size due to statistical fluctuations -

~ 1 photon is produced for 100 eV of deposited energy

~ 2 MeV/cm of energy is deposited for particles with  $z = 1$  (MIP)

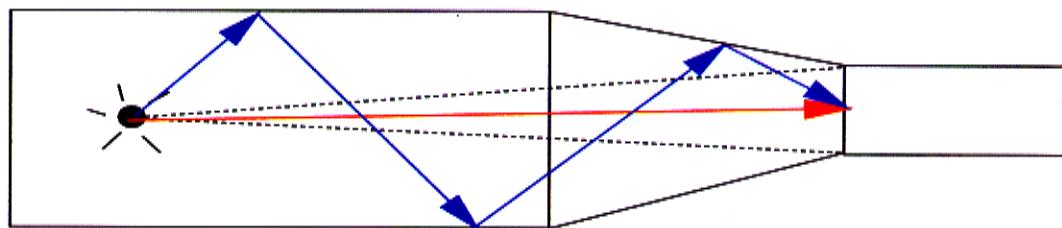
→ ~ 20,000 photons/cm

Use *thicker* counters to improve the photon statistics -

Typical thickness is about 5 cm.

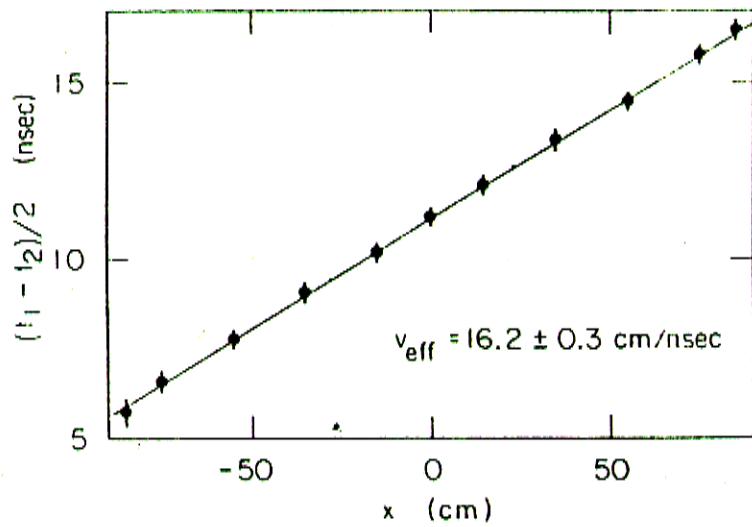
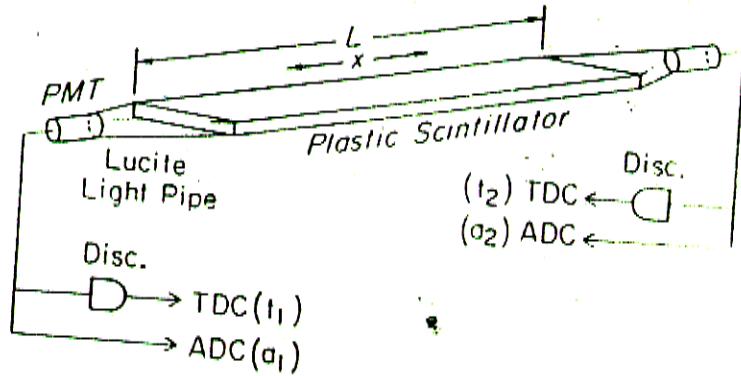
But, don't overlook the impact on the material budget. TOF systems are usually placed outside of the tracking detectors just inside the calorimeters in collider detectors for this reason.

Different times of arrival at the PMT for photons emitted in the scintillator.



Light is emitted in all directions. How much travels directly to the PMT depends on the solid angle it subtends looking from the emission point. The pulse shape depends on how many “fast” (shown in red) and “slow” (shown in blue) photons are included in the signal. Better time resolution can be achieved with a faster signal risetime. To increase the solid angle and thus the number of “fast” photons -

- Eliminate the light guide and glue the PMT directly to the scintillation counter. This also reduces the number of bounces the “slow” photons undergo.
- Glue a PMT on **both** ends of the scintillation counter. This also gives a means by which the dependence of the time resolution on the hit position in the counter can be corrected.



$$\cos \Theta_{\text{eff}} = \frac{v_{\text{eff}}}{c/n} \approx 0.84$$

$$\Rightarrow \Theta_{\text{eff}} \approx 33^\circ \quad (\Theta_{\text{int}} \approx 39^\circ)$$

Light undergoes  $\sim 30$  bounces

If  $t_1$ ,  $t_2$  are the arrival times of the signals at the two ends of the counter, then

The position,  $x$ , at which the particle entered the counter is given by

$$x = \left( \frac{t_1 - t_2}{2} \right) v_{eff},$$

where  $v_{eff}$  is the effective propagation velocity of light in the scintillator.

The time,  $t$ , at which the particle entered the counter is given by

$$t = \left( \frac{t_1 + t_2}{2} \right) - \frac{L}{2v_{eff}},$$

where  $L$  is the length of the counter.

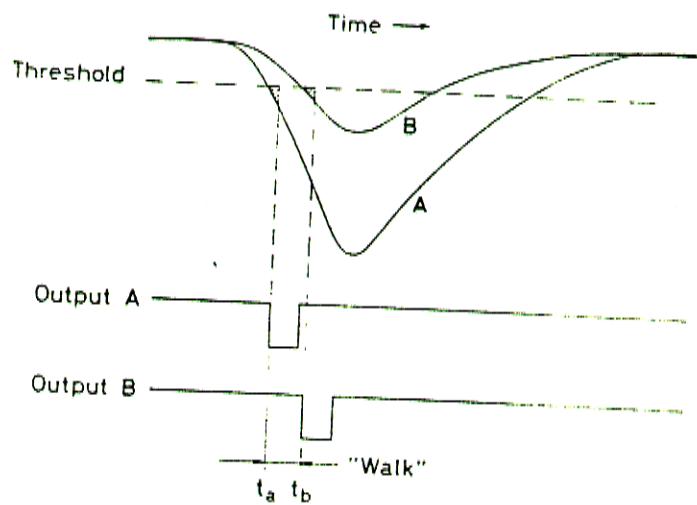
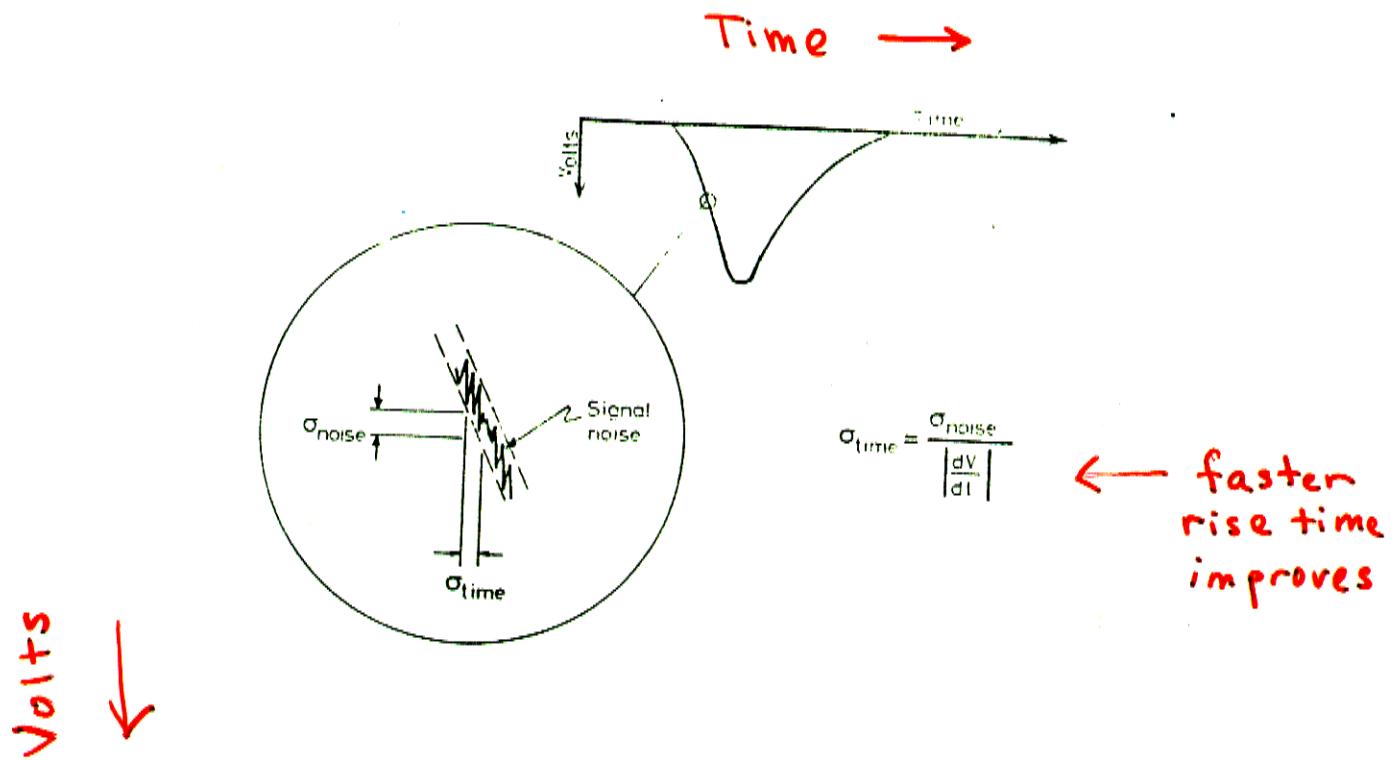
Time "jitter" in the PMT-

Difference in the kinetic energy of  
photoelectrons ejected from the  
photocathode.

This is small compared to the  
difference in the time of  
traversal of the p.e.'s from  
the photocathode to the 1<sup>st</sup> dynode

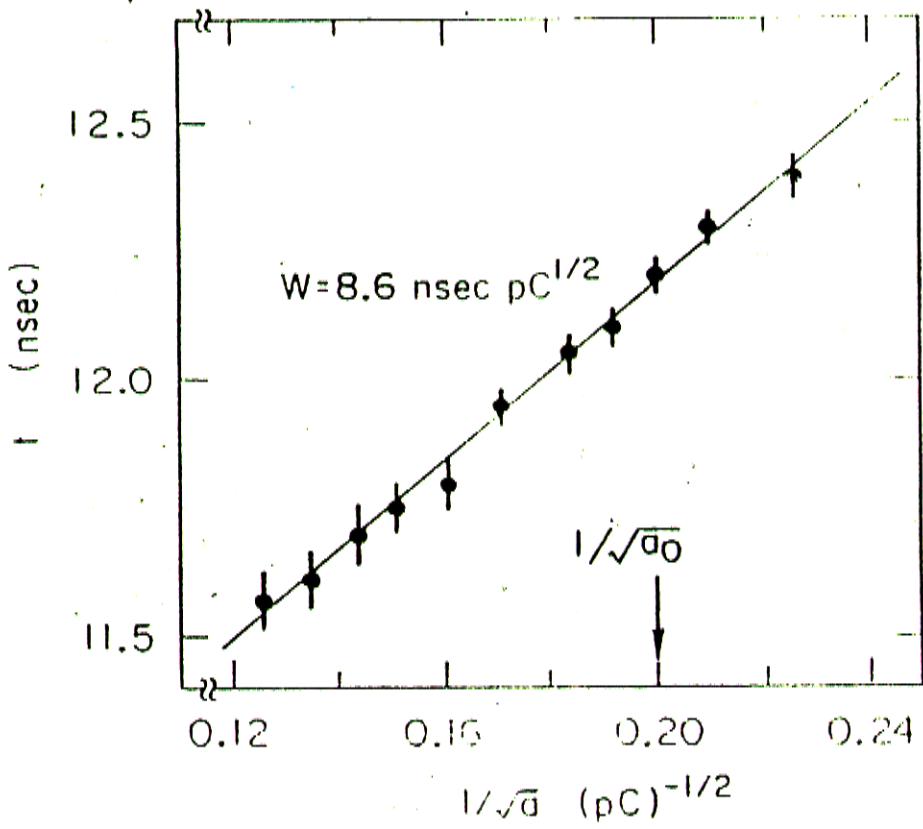
Increasing the voltage on the 1<sup>st</sup>  
dynode helps. Most PMT bases  
provide a means to do this.

# Electronics



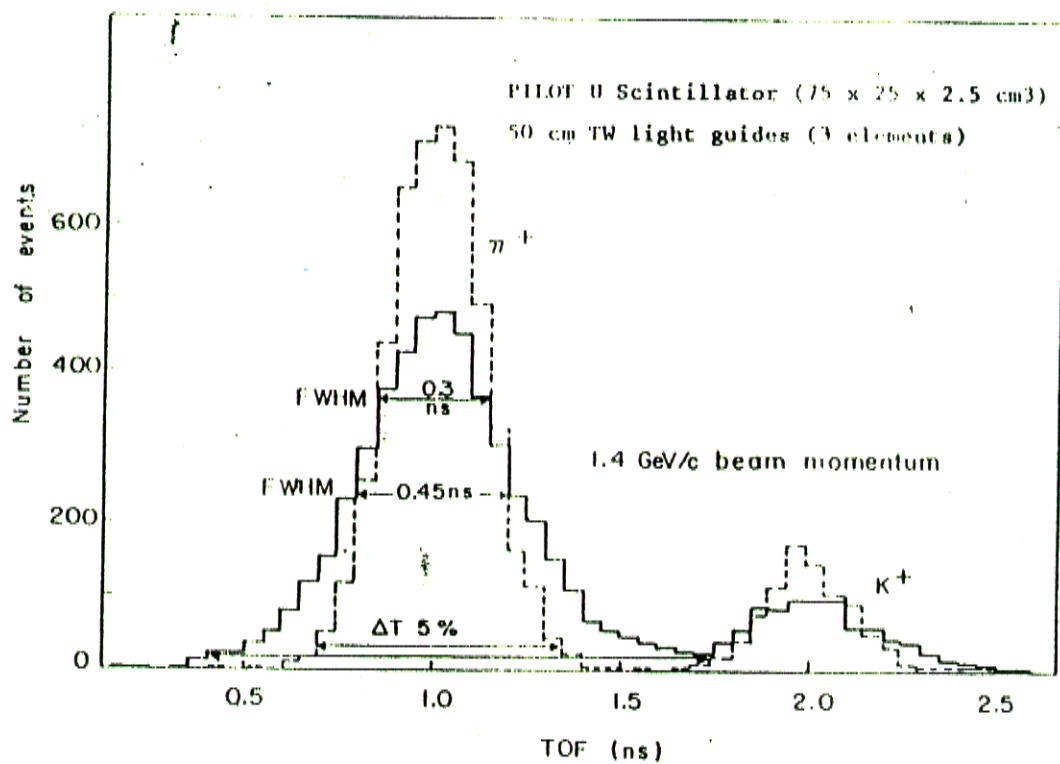
Time "walk"

Use measured pulse height to correct  
for correlation with  $t_{\text{meas}}$



$$t_{\text{corr}} = t_{\text{meas}} - W \left( \frac{1}{\sqrt{a_0}} - \frac{1}{\sqrt{a}} \right) - \frac{x}{v_{\text{eff}}}$$

$W$  is a parameter of the fit and  $a_0$  is a reference pulse height.



TOF Separation of  $\pi$ 's and  $K$ 's -

1.4 GeV/c Momentum

$\sim 5.5$  m Flight Path

Hits at Center of Counter

Solid Histogram uncorrected data ( $\sigma = 0.28$ ,  
 $\Delta T_{50\%} = 1.25 \text{ ns}$ )

Dashed Histogram Pulse Height Corrected

( $\sigma = 0.15$ ,  
 $\Delta T_{50\%} = 0.65 \text{ ns}$ )

TABLE II

Comparison of nine time-of-flight counters.  $L$  is the counter length and  $N_e$  is the average number of photo-electrons for minimum ionizing particles. Photoelectron yields which are starred (\*) are my estimates based on the densities of the scintillators. This was done when this information was unavailable from the references.

Counter	$L(\text{cm})$	$N_e$	$\Delta\tau(\text{psec})$
1) MARK II <sup>a</sup>	350	40	255
2) "Free Quark Search" (PEP-14)	315	90	166
3) DASP <sup>b</sup>	172	28*	212
4) F. Linon et al., N.I.M., 153, 409 (1978)	25	28*	92
5) M. Wollstadt <sup>c</sup>	100	39*	144
6) M. Wollstadt <sup>c</sup>	50	16*	151
7) MARK III <sup>d</sup>	300	120	140
8) M. Wollstadt <sup>e</sup>	100	260*	85
9) Same as 4)	~2	4500*	48

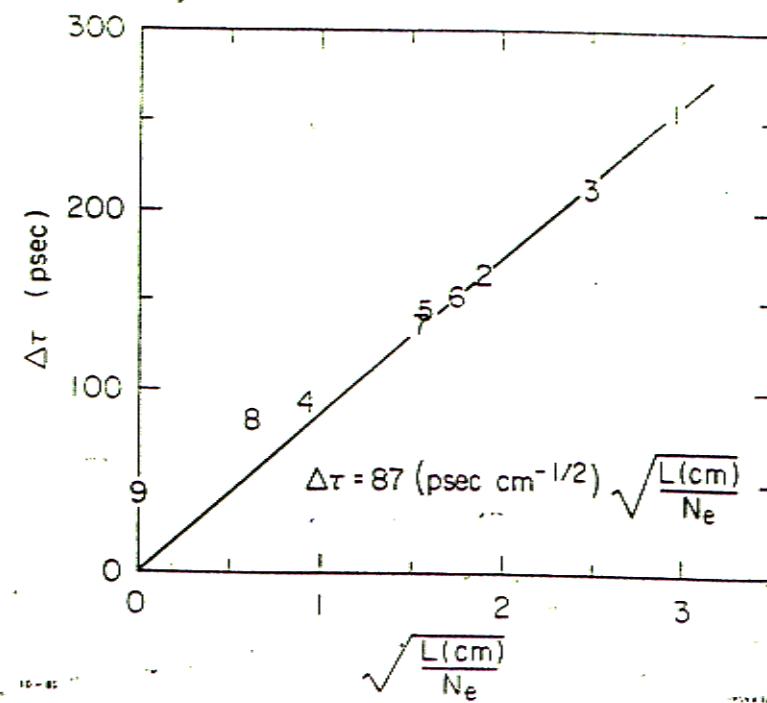


Fig. 10. A comparison of the time-of-flight counters listed in Table II.  $L$  is the length of the counter and  $N_e$  is the average photo-electron yield for minimum ionizing particles.

After correction for position  
and amplitude effects and  
if contributions from PMT and  
electronics are small

$$\Rightarrow \Delta\tau \propto \sqrt{\frac{L}{N_e}}$$

# **Ways we can improve the discrimination of a tof detector -**

- ***Longer flight path***
- ***Detectors with better time resolution***
- ***More measurements along the particle path***

**This results in an improvement of  $1/\sqrt{N}$ , where N is the number of measurements.**

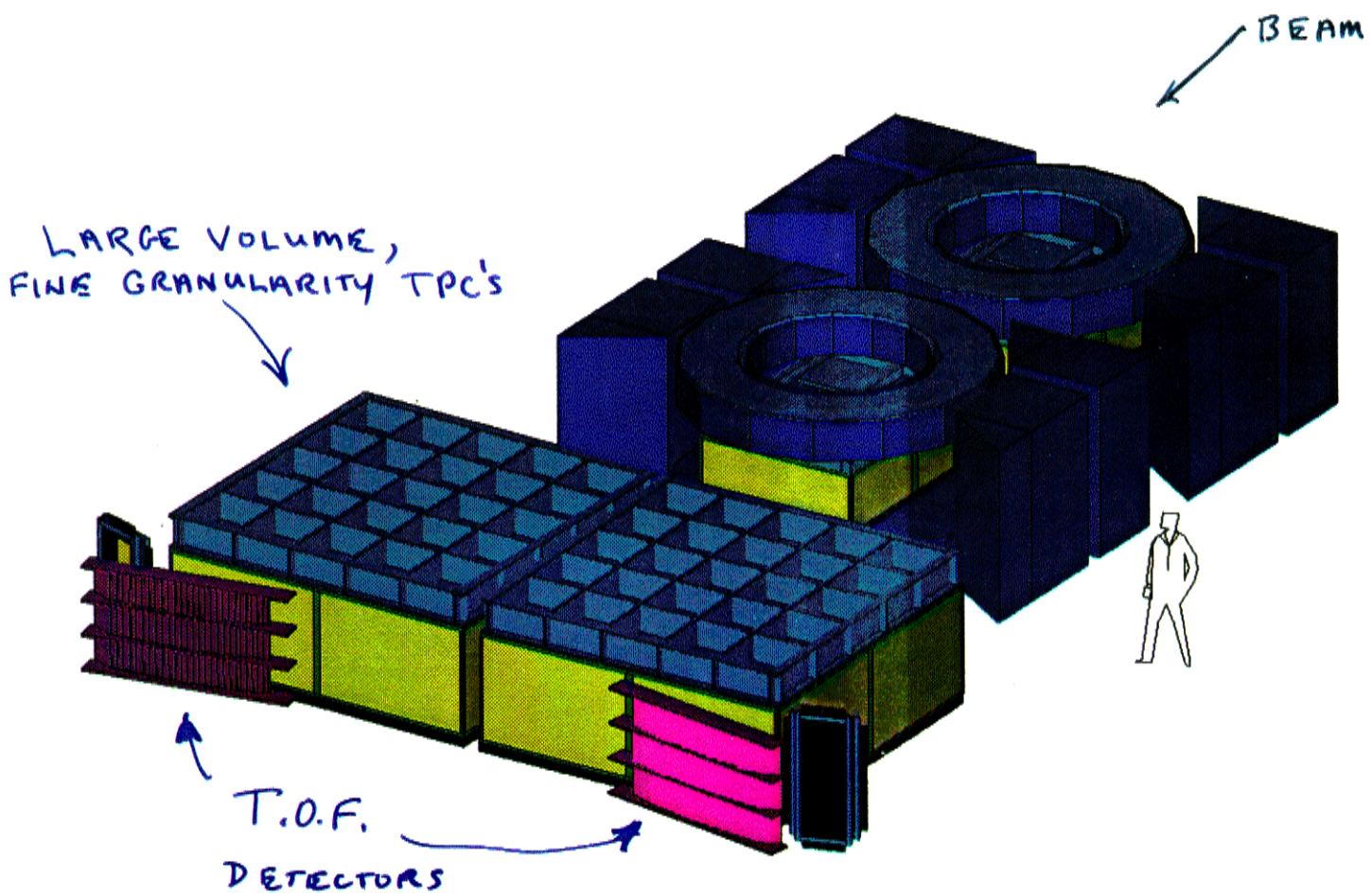
NA 49

STUDY PRODUCTION OF CHARGED HADRONS

$\pi^\pm, K^\pm, p, \bar{p}$

AS WELL AS NEUTRAL STRANGE PARTICLES

$K^0, \bar{K}^0, \Lambda, \bar{\Lambda}$

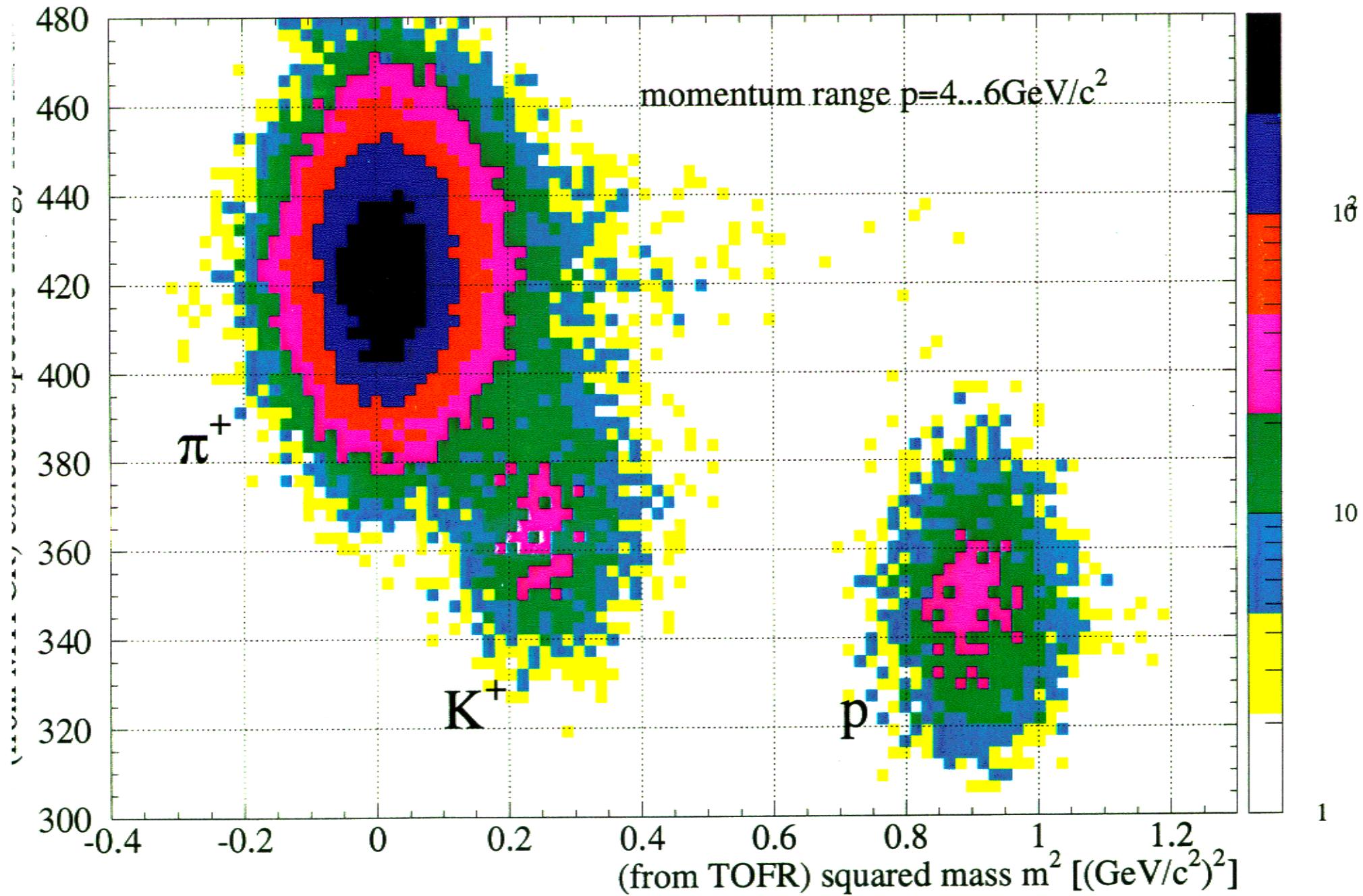


SEARCH FOR DECONFINEMENT TRANSITION

PREDICTED BY LATTICE QCD

IN HEAVY ION COLLISIONS

## Runs 442 + 443

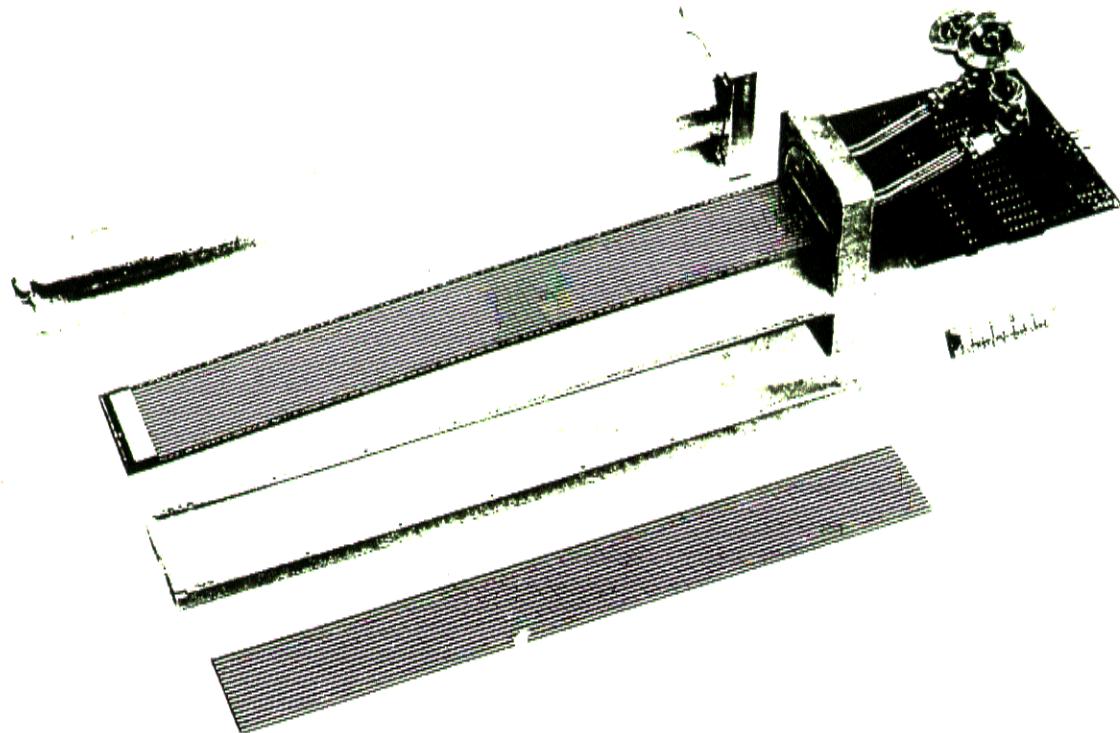


OPERATES AT VERY  
HIGH GAS PRESSURE

SMALL GAP SIZE  
 $\sim 100 \mu\text{m}$

Under study for the ALICE particle identification system is the Pestov spark counter technique, single-gap gas filled parallel-plate devices giving a timing resolution of less than 50 picoseconds. Pestov counters will be the preferred choice if it can be demonstrated that reliable manufacture and operation are possible for the large-area system required.

(Photo Achim Zschau, GSI)



PESTOV SPARK COUNTER

< 50 ps RESOLUTION

Alice now plans to use RPC's with  
somewhat different characteristics

~ 1 mm gap

resistive glass plates using same glass as  
used for Welder's face masks

Helium-Ethane 50/50 at atmospheric pressure  
to limit charge in the discharge  
and protect glass surface from  
damage

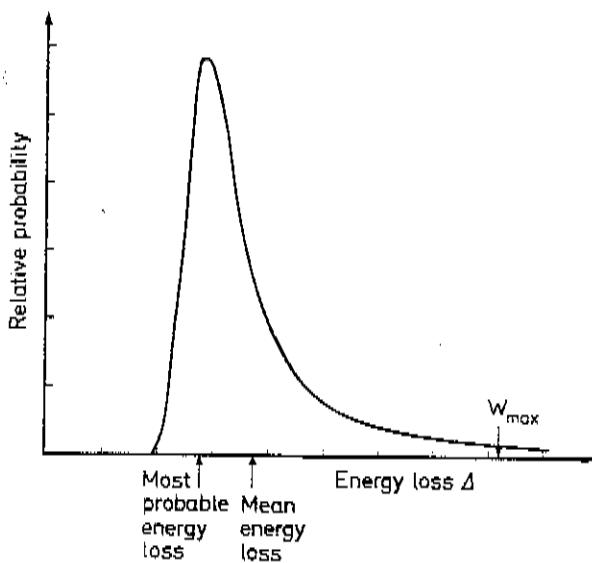
Have achieved  $T_{res} \lesssim 70$  ps in tests

of 8mm x 8mm prototype

# $dE/dx$

**Measure mean ionization energy loss  
in a tracking detector - gas-filled or  
even silicon strip**

- Requires analog readout
- Many measurements are needed.
- Statistics are improved in gaseous detectors by operating at higher pressure => more primary ionizations
- Use method of truncated mean to remove measurements out on the Landau tail, which skew the mean



**$dE/dx$  is described by the Bethe-Bloch equation and is a universal function of  $\beta\gamma$  for all particle masses.**

## **Energy loss as a function of momentum**

- Falls as  $1/\beta^2$  to a minimum at  $\beta\gamma$  of approximately 4
- Then increases logarithmically (the *Relativistic Rise* region)
- Saturates at the *Fermi plateau*

Figure 2.5 Density effect correction parameter  $\delta$  for several materials.  
 (The parameter was calculated using the formulas and coefficients given  
 in R.M. Sternheimer, M.J. Berger, and S.M. Seltzer, Atomic Data and  
 Nuclear Data Tables 30: 261, 1984.)

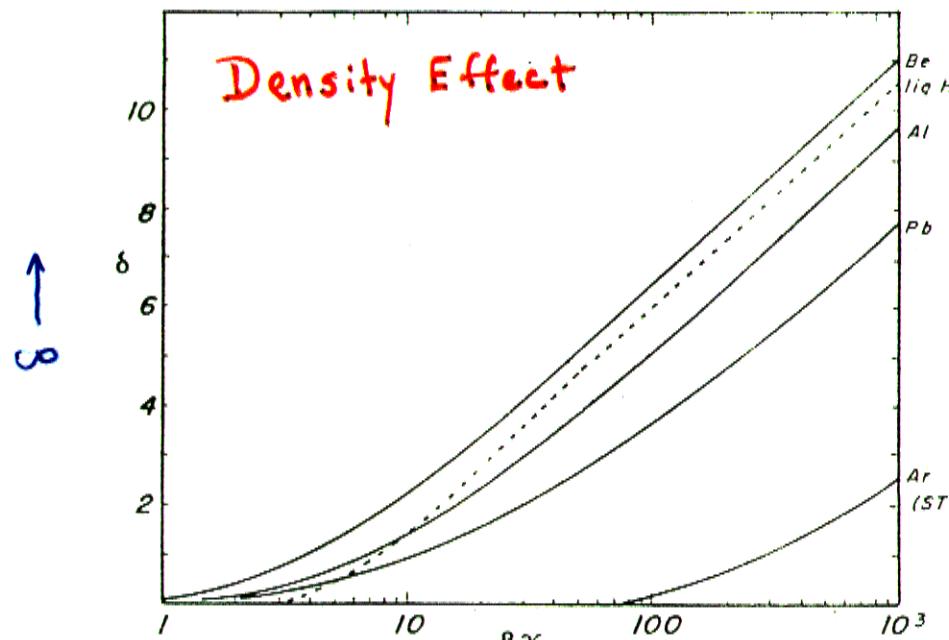
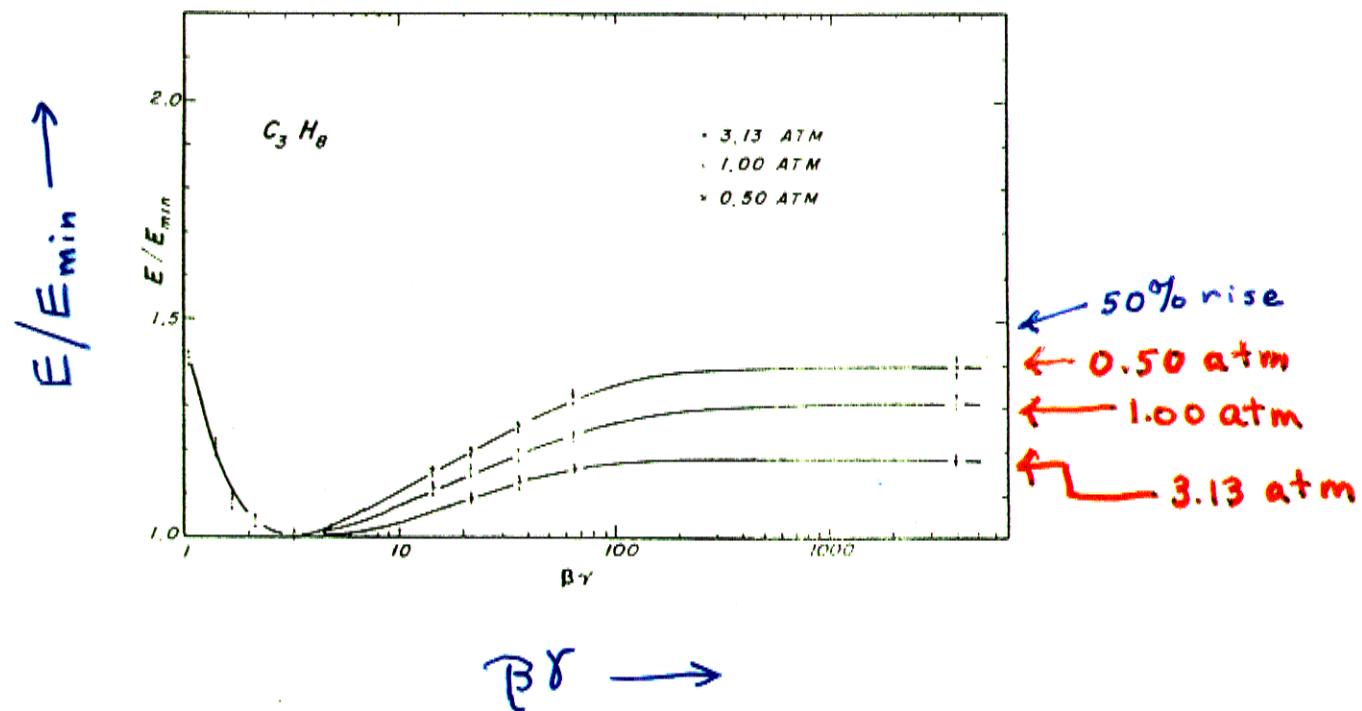
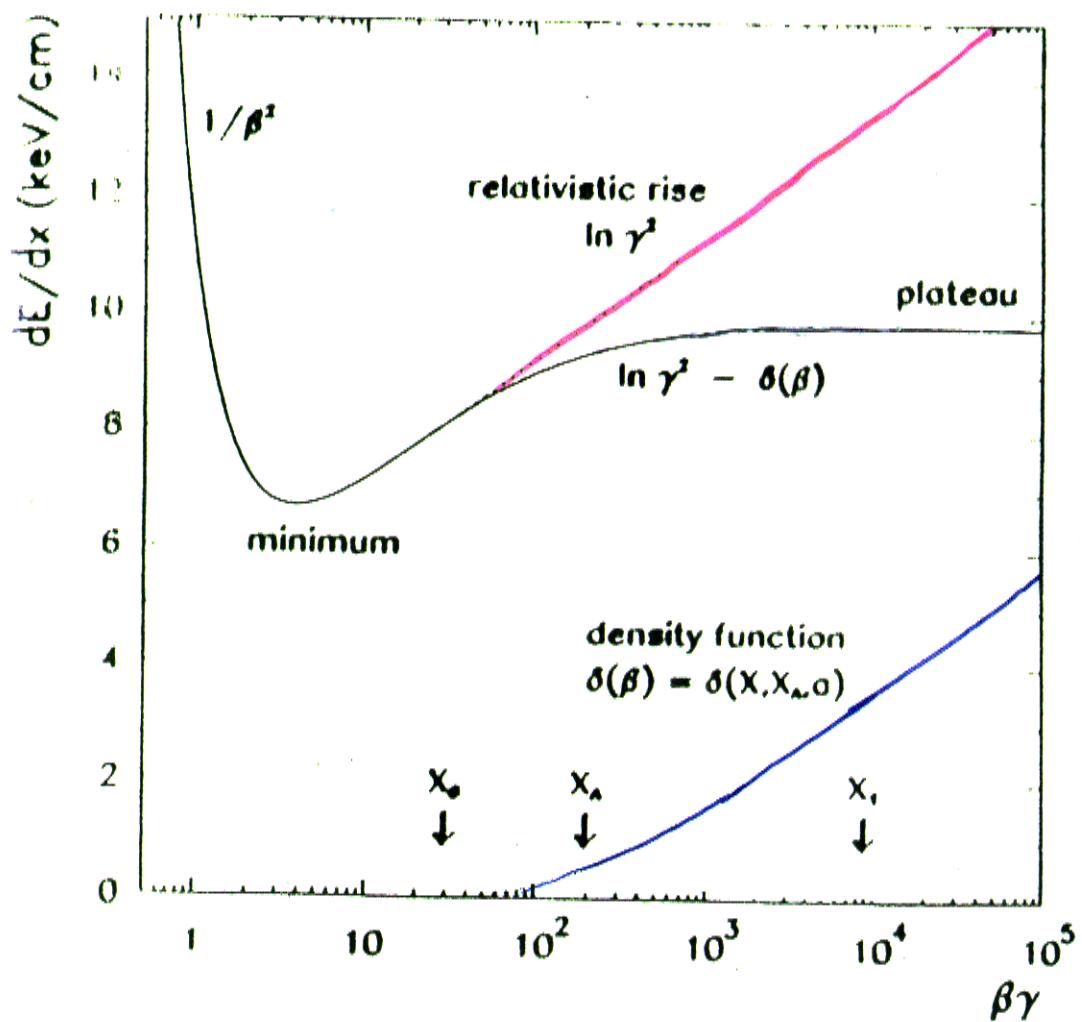


Figure 2.6 Measured mean energy losses in propane as a function of pressure and  $\beta\gamma$ . The energy losses are normalized to those for 3-GeV/c protons. (After A. Walenta, J. Fischer, H. Okuno, and C. Wang, Nuc. Instr. Meth. 161: 45, 1979.)





For Argon-Methane at 4 bars pressure

Mix is 88.2% Argon, 9.8% Methane,  
2% Isobutane

OPAL

Fig. 5.21. Mean ionization energy loss in a 1 cm-thick layer of 80% argon and 20% methane at standard conditions for five kinds of charged particles [MA 78].

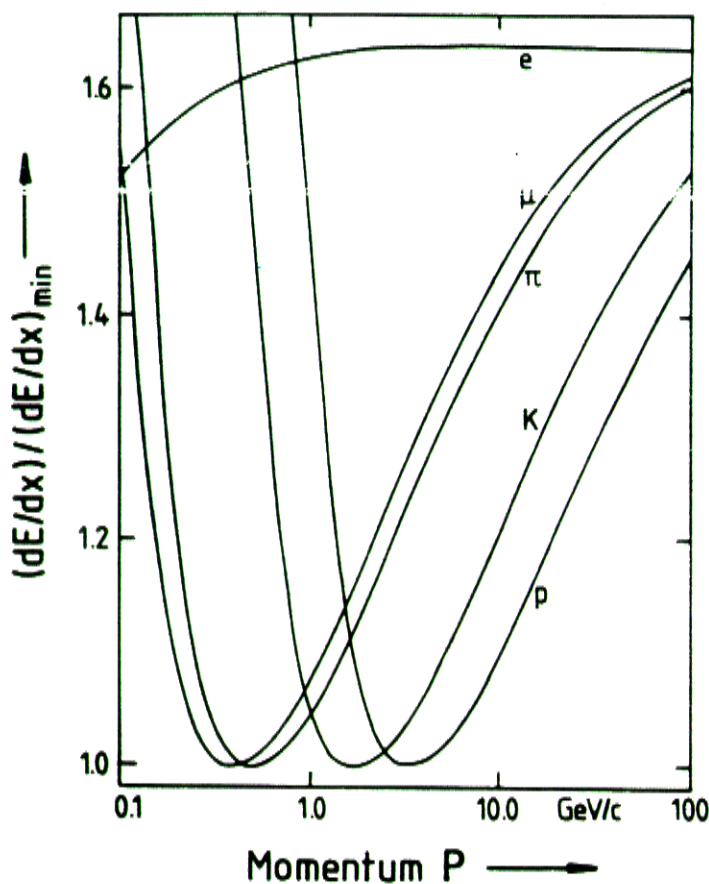
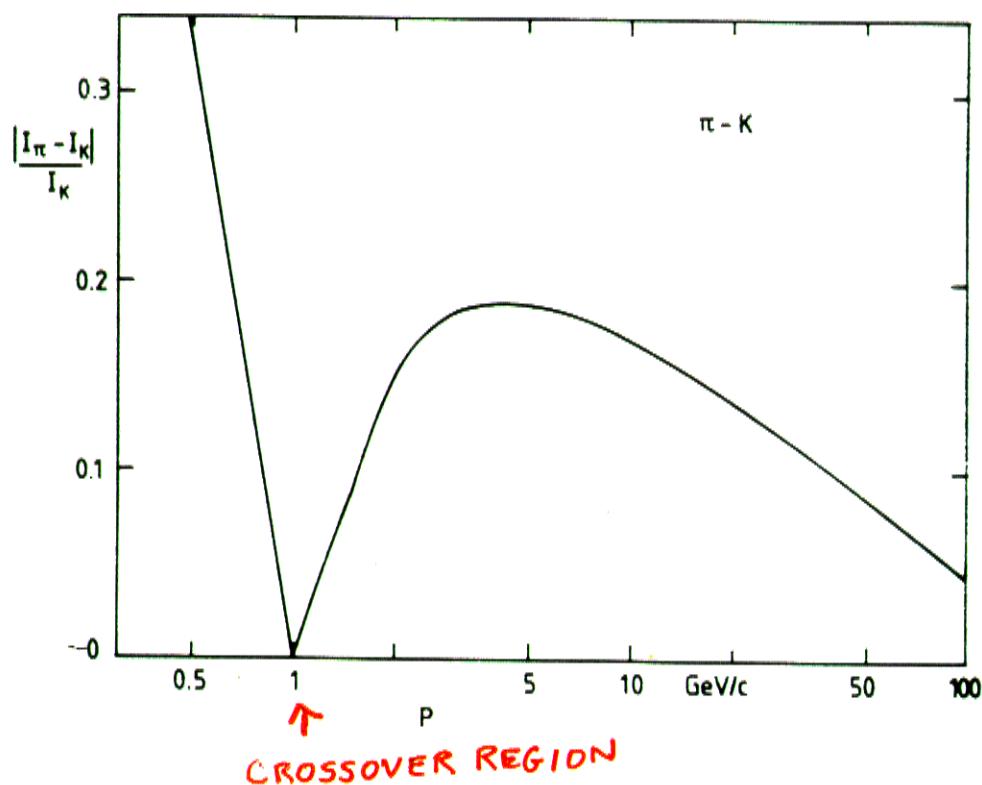
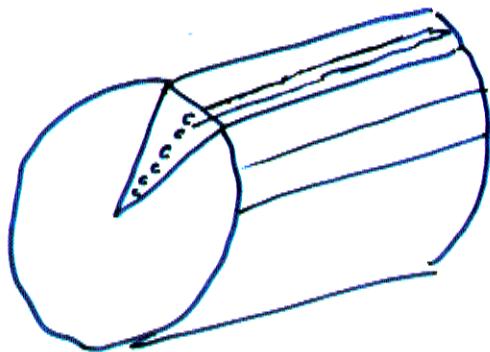


Fig. 5.22. Relative difference between the mean energy losses of  $\pi$  and K mesons,  $|I_\pi - I_K|/I_K$ , as a function of particle momentum.



# OPAL JET CHAMBER



24 CELLS  
CATHODE AND  
ANODE WIRES  
RUN ALONG  
THE AXIS AS  
SHOWN

SOLENOIDAL FIELD .435 T

159 SENSE WIRES  
EACH CELL

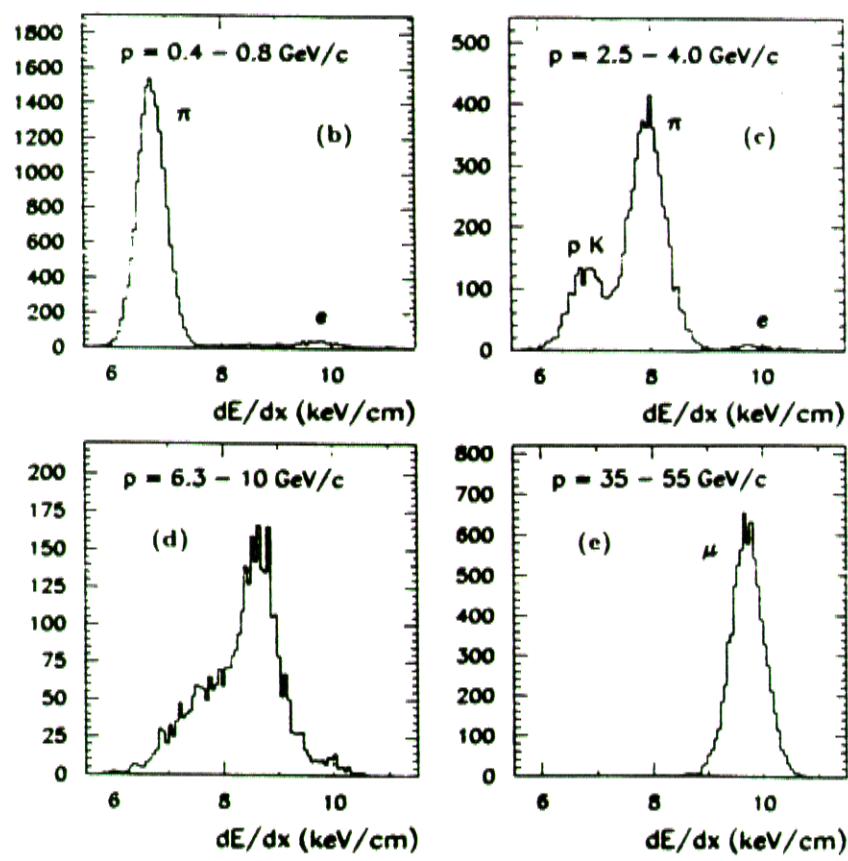
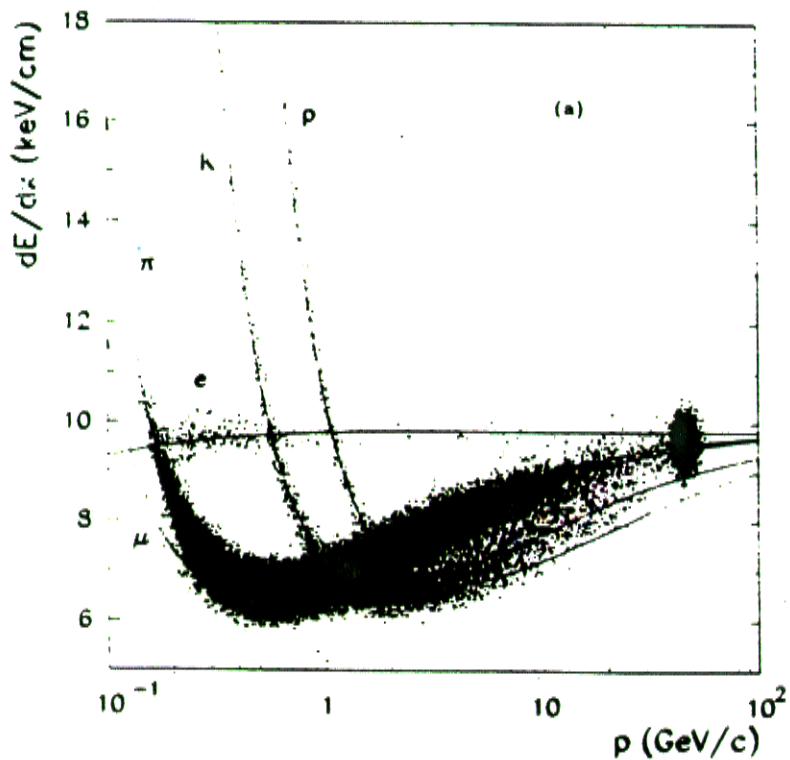
- 159 POINTS MEASURED  
ALONG TRACKS OVER  
73% OF SOLID ANGLE  
AT LEAST 8 HITS OVER  
98% OF  $4\pi$

OPERATED AT A PRESSURE OF 4 BARS

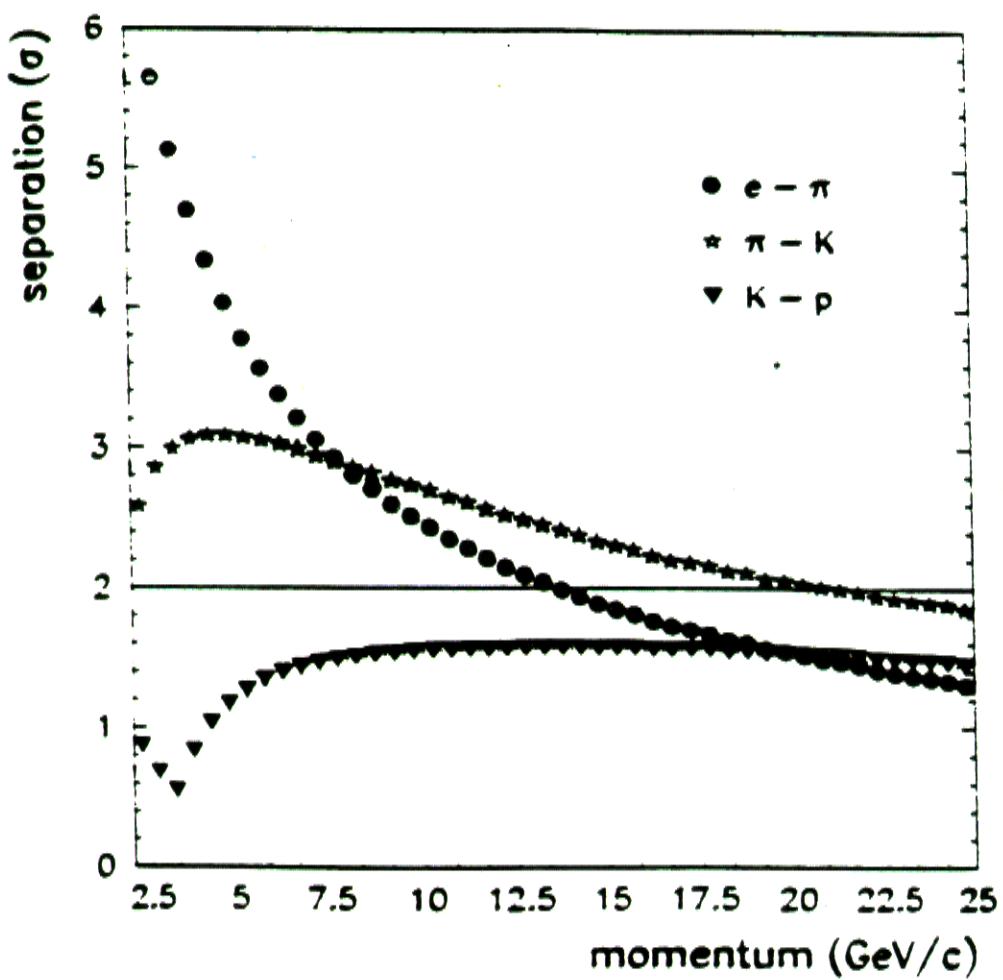
FOR OPTIMUM PARTICLE  
SEPARATION POWER

Argon/methane/isobutane  
88.2 9.8 2.0 %

DETAILED ANALYSIS INCLUDING  
QUALITY CUTS AND CORRECTIONS  
30% OF HIGHEST  $dE/dx$  MEAS.  
REMOVED IN TRUNCATED MEAN  
CALCULATION



OPAL

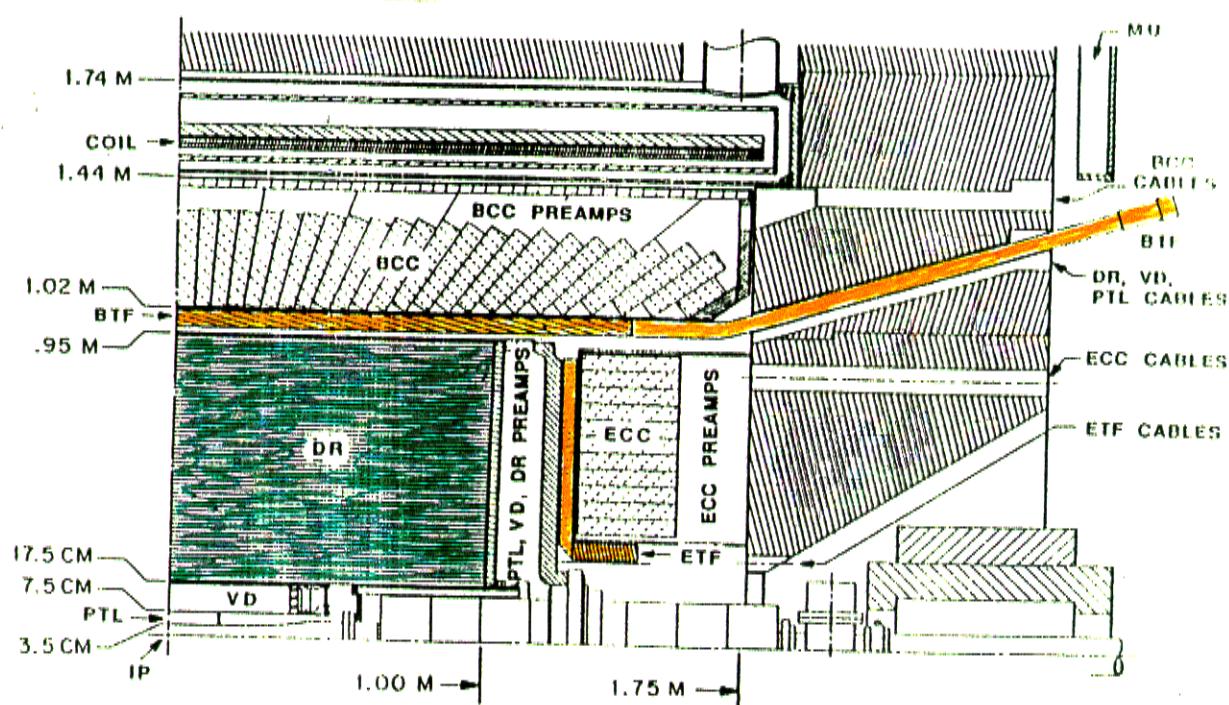


$$\frac{\sigma(dE/dx)}{dE/dx} \propto N^{-0.43} \quad \sim 3.8\% \text{ for } N \geq 130$$

where  $N$  is the number of points used  
in the truncated mean calculation.

$$\text{separation} = \frac{(dE/dx)_A - (dE/dx)_B}{\sigma(dE/dx)_B}$$

# CLEO

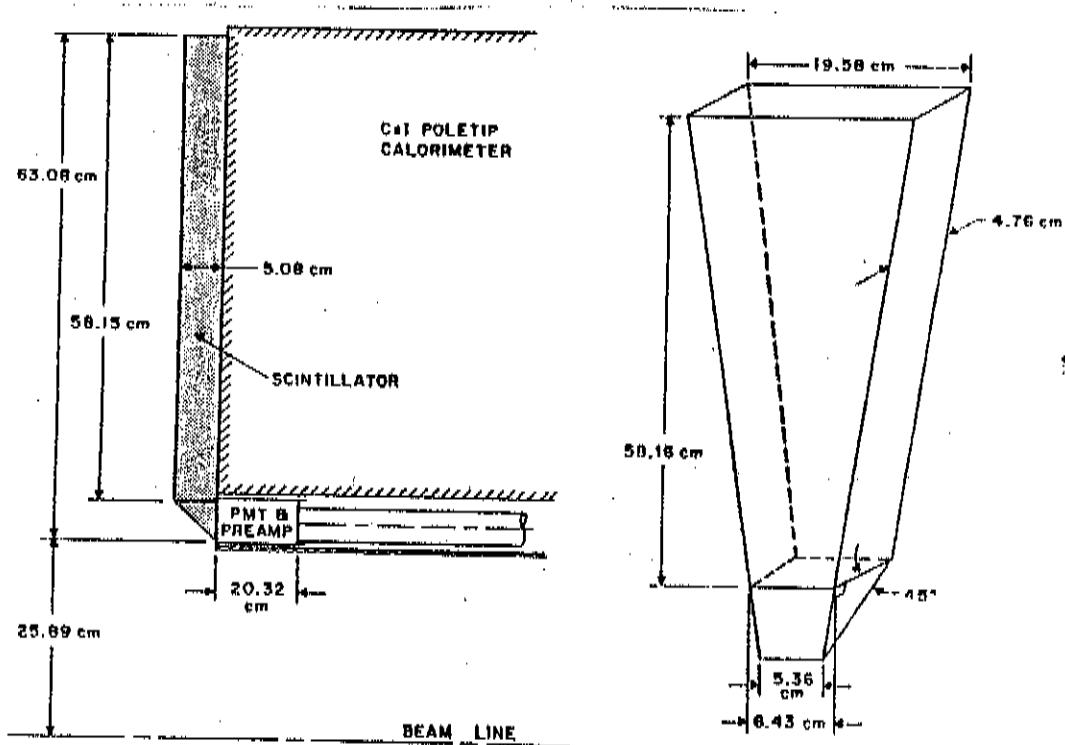
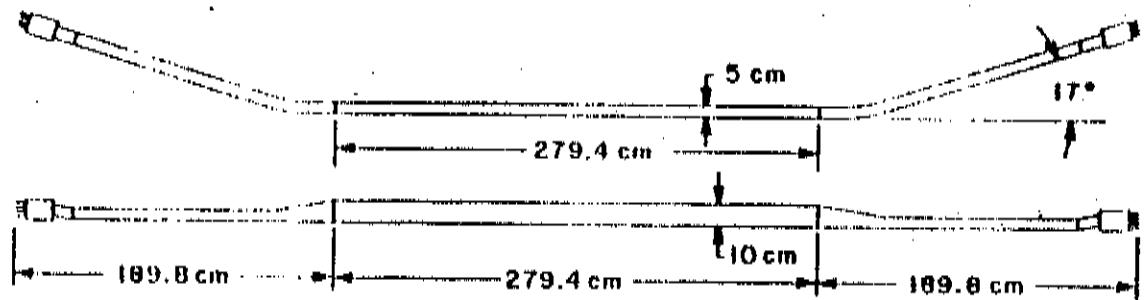


BTF = Barrel Time-of-Flight  
 $\pm (36^\circ - 144^\circ)$  or  $\sim 81\%$  of  $4\pi$

ETF = End Cap TOF  
 $\pm (15^\circ - 36^\circ)$  or  $\sim 16\%$  of  $4\pi$

IP = Interaction Point

DR = Main Drift Chamber



## TOF

BICRON BC408 Scintillator

rise time 20 ns

attenuation length 2.5 m

## PMT's

barrel - Amperex 2020 with adjustable voltage on accelerator electrode and improved quantum efficiency

endcap - Fine Mesh PMT designed to operate in a high magnetic field

- fast rise time + good q.e.
- gain drop due to magnetic field compensated by pre-amp on

PMT output

- (Hamamatsu R2990)

- glued directly onto scintillator

## TOF electronics

Each PMT signal is fed to -

2 channels of Time to amplitude converter

- Start time is derived from discriminators with 40 mV and 80 mV thresholds
- Stop time is derived from the CESR rf

The use of 2 channels with different thresholds provides a way to correct for differences in signal rise time

Raw data are corrected for pulse height difference and signal time slew

⇒ Time resolution for pions of  $0.7 \text{ GeV}/c$   
is  $\sim 154 \text{ ps}$  (barrel)  
( $2\sigma$  separation at  $1.07 \text{ GeV}/c$ )

End cap resolution is not as good

$\sim 272 \text{ ps}$

$dE/dx$

51 wires - 40 axial and 11 small angle stereo  
cover 17.5 to 95 cm in radius

gas is Argon-Ethane 50/50 at  $\gtrsim$  atmospheric pressure

use 50% of the hits in the truncated mean calculation

correct for - dip angle saturation  
- drift distance to wire  
- entrance angle to drift cell  
in  $r\theta$  plane  
- type of layer

for 40 or more hits, resolution of 7.1%

is achieved for minimum ionizing pions

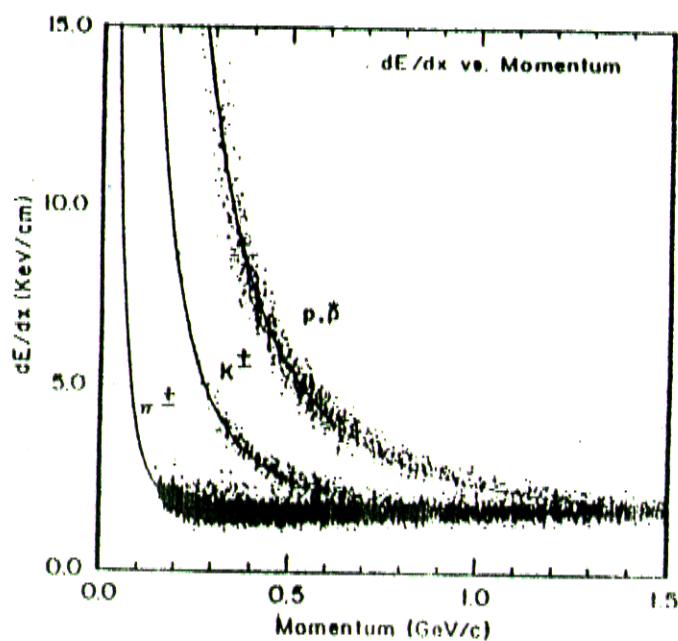


Fig. 23. Specific ionization vs track momentum for hadrons.

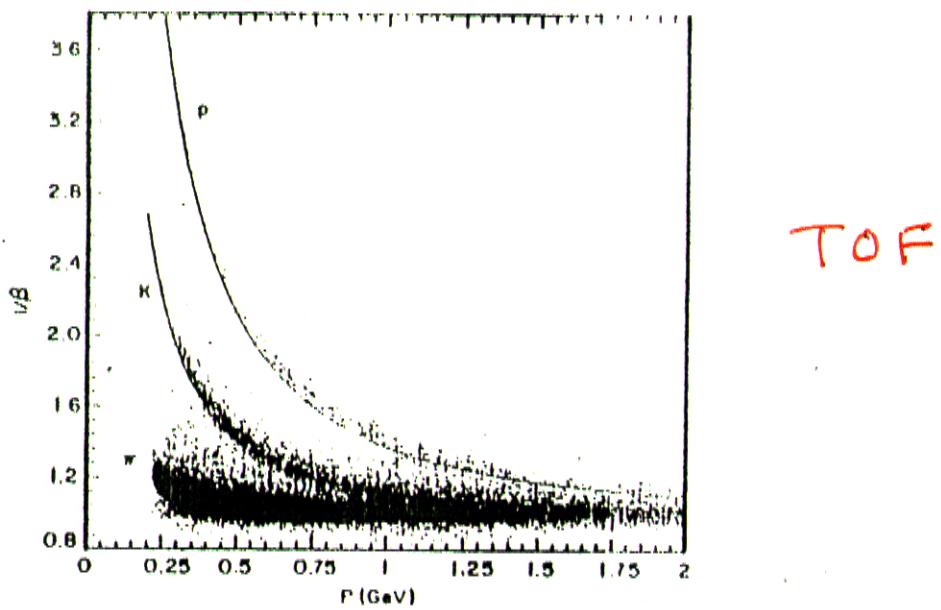
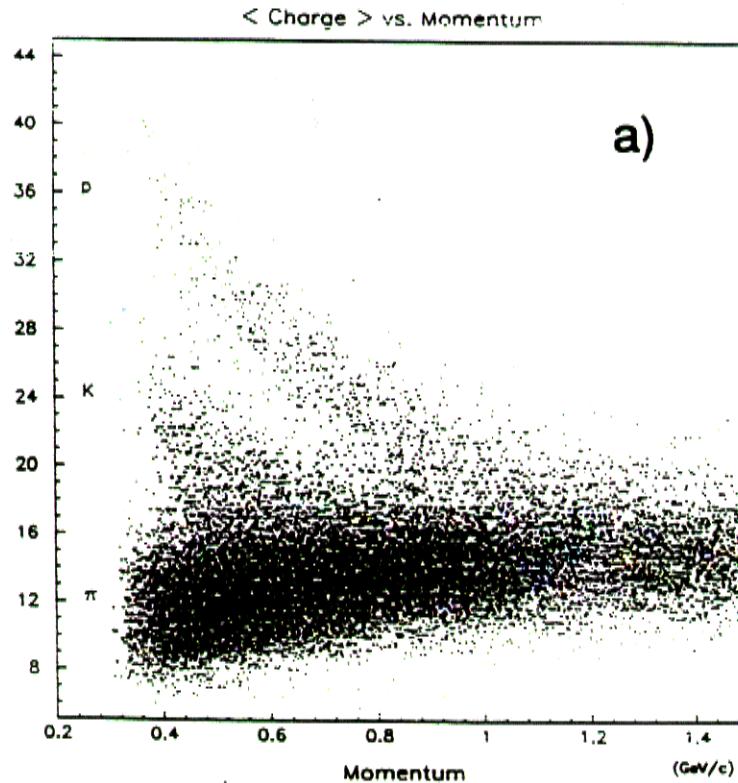
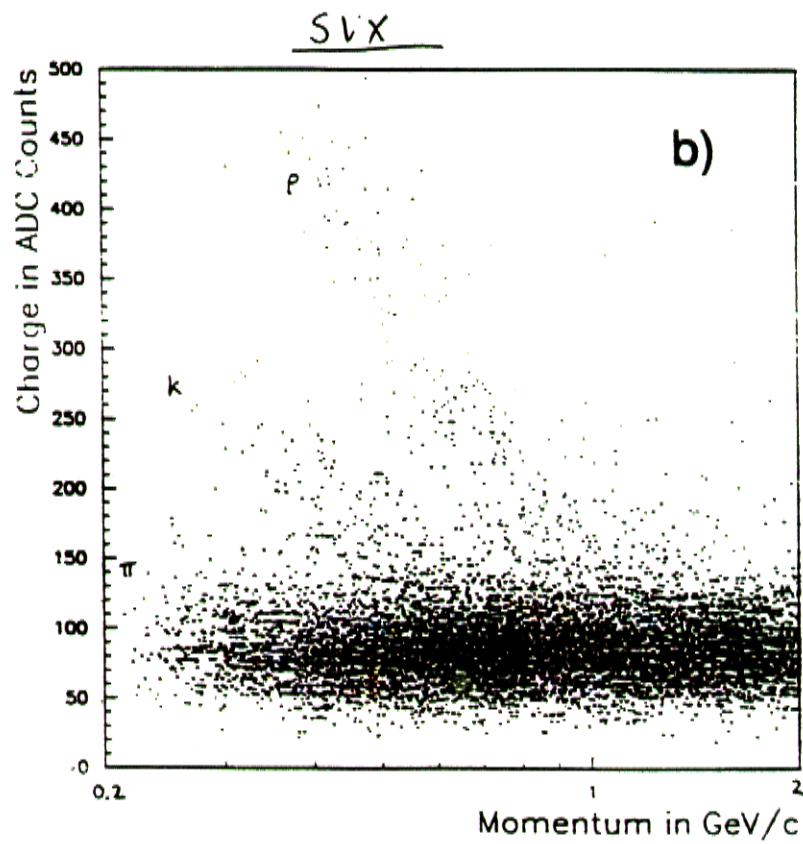


Fig. 31.  $1/\beta$  ( $\beta = v/c$ ) versus track momentum measured in the drift chambers for a sample of hadrons in the barrel TOF counters.

CDF



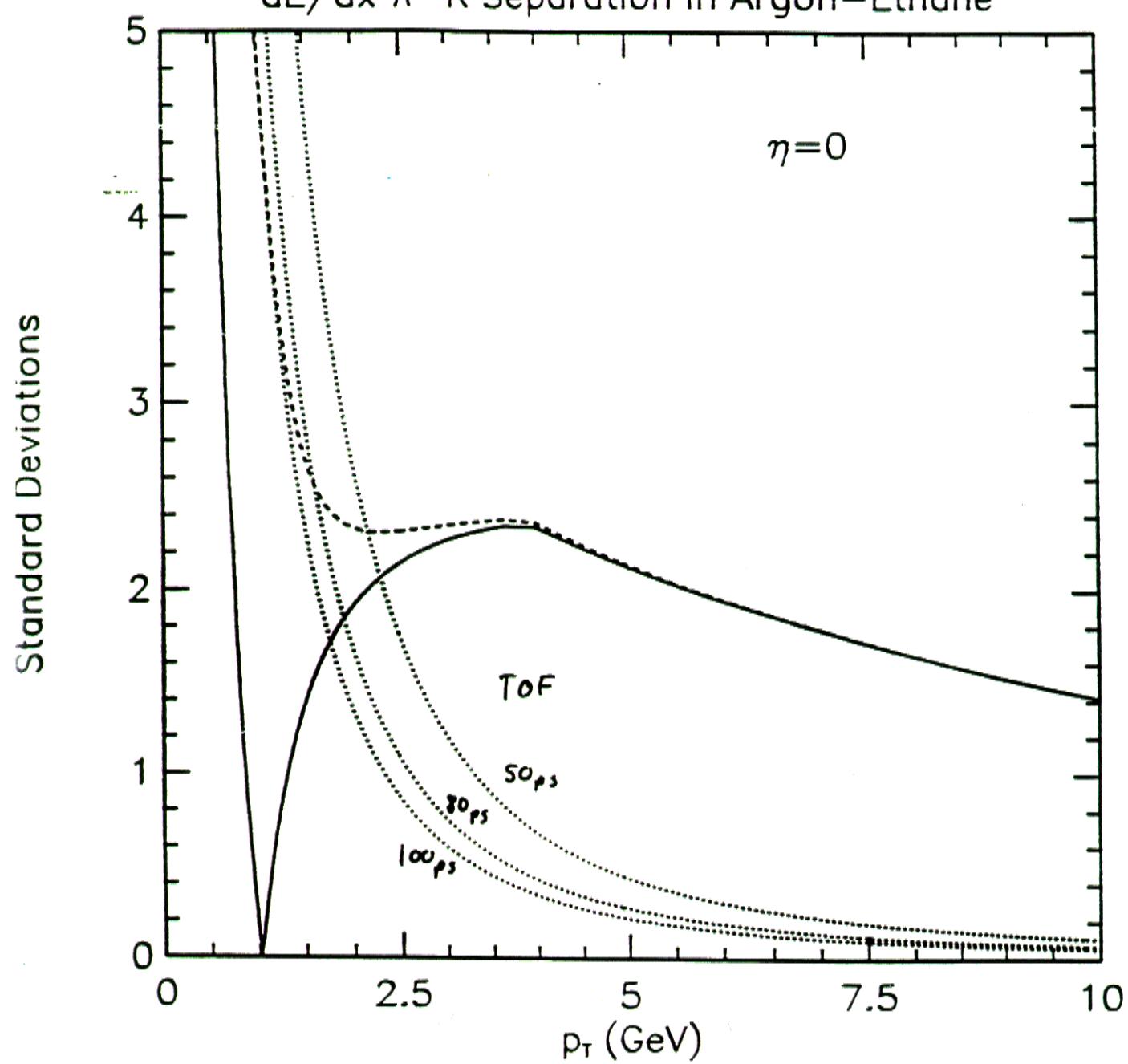
CTC



SVX

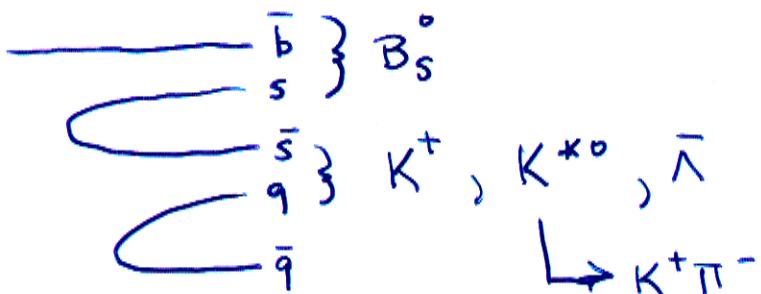
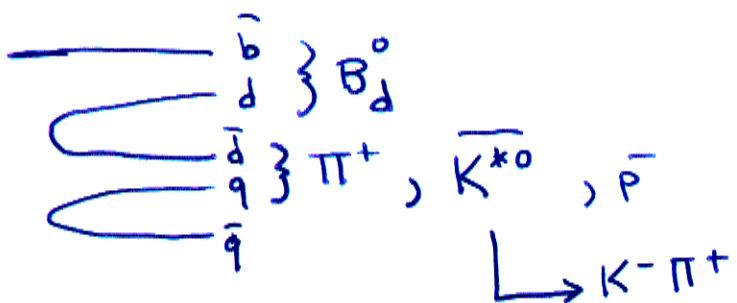
CDF

### $dE/dx \pi-K$ Separation in Argon-Ethane



## TOF Upgrade

Unique Application of this technique to  
 Same Side Tagging of B's in  
 Studies of CP violation



Also provides tag of Opposite Side B

Via  $b \rightarrow c \rightarrow s$

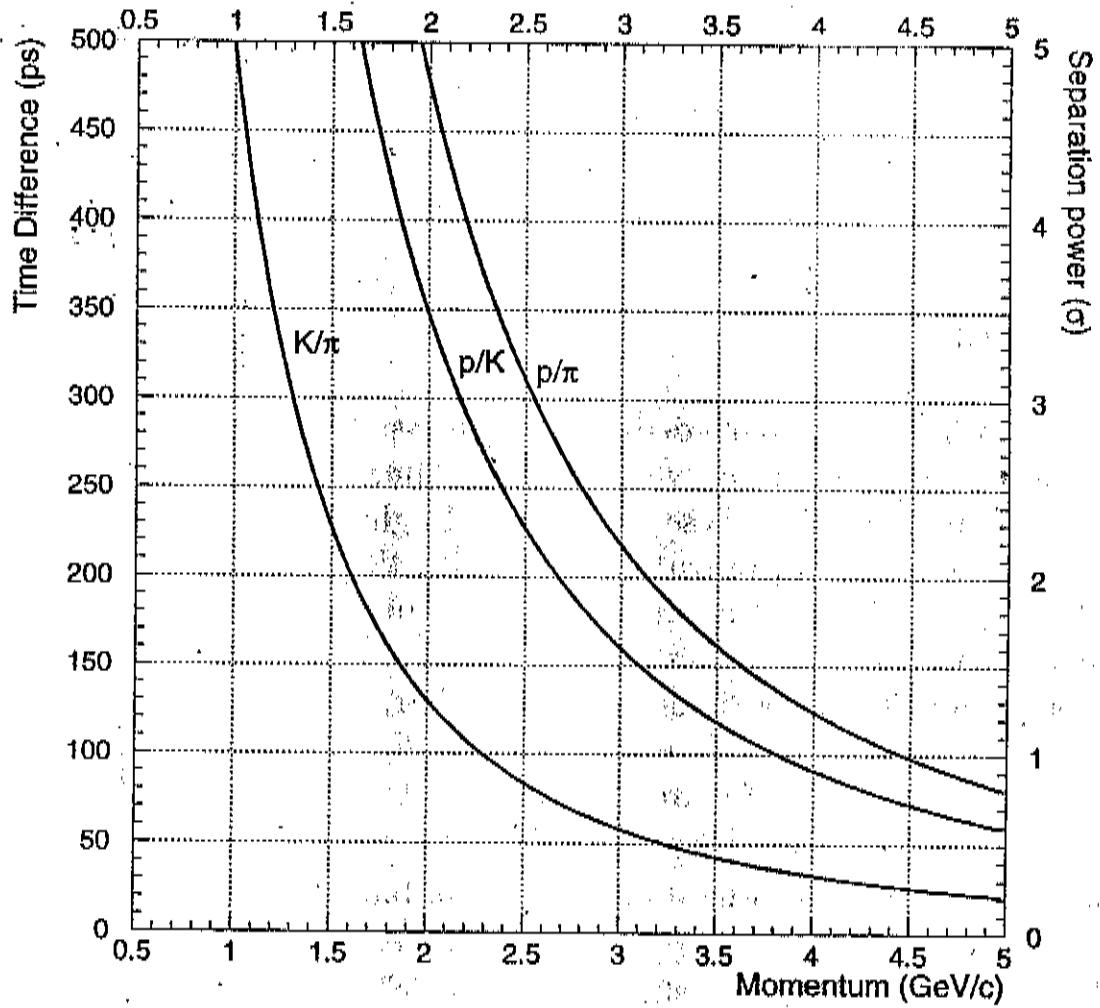


Figure 3.1: Time difference as a function of momentum between  $K/\pi$ ,  $p/\pi$  and  $K/p$  traversing a distance of 140 cm, expressed in ps and separation power, assuming a resolution of 100 ps.

## TOF

- 216 scintillator bars at 1.4 m radius
- 3 m long  $\times$  4 cm thick  $\times$  4 cm wide
- made from BICRON 408 scintillator
- 19 stage R4946-Mod Hamamatsu FMPMT's
  - operate in high magnetic field (1.5T)
  - preamp on output to offset reduction in gain caused by operation in magnetic field
- output to TAC for time measurement and ADC for time walk correction
- to achieve desired 100 ps time resolution, require  $\leq 25$  ps jitter in electronics
  - monitor temperature on board
  - make sure clock distribution to front ends is synchronous to within  $\leq 25$  ps

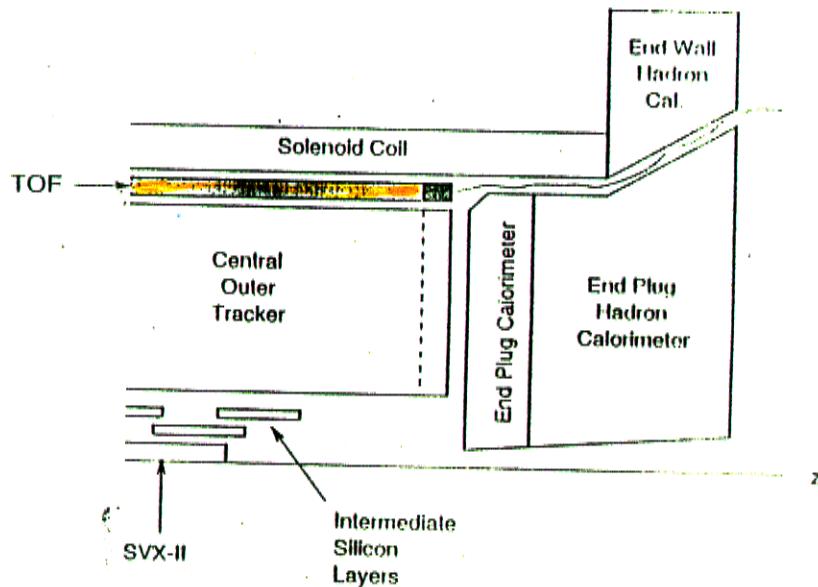


Figure 3.2: Side view of CDF II showing the location of the Time-of-Flight subdetector.

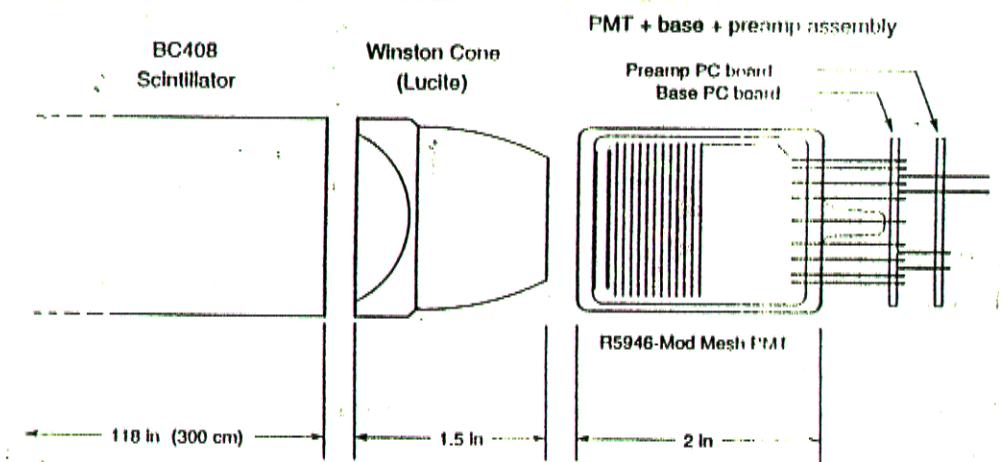


Figure 3.3: Arrangement of the scintillator, Winston cone and PMT assembly. This also shows the printed circuit boards for the PMT base and the preamplifier.

## TOF

Two algorithms for associating PMT pulse with track

$$Z = \frac{1}{2} (T_L - T_R) \cdot v_{bar}$$

for  $\langle n_{minbias} \rangle$  small agrees with extrapolated track within 25

But for higher  $\langle n_{minbias} \rangle$  a better method is to associate track with closest PMT in  $Z$  if no other track in the event that hits the bar is closer to the PMT in  $Z$

## TOF

Long interaction volume (36 cm) means

that  $t_0$  for an event can vary by

as much as several ns

Measure  $t_0$  using the tracks from an event using maximum likelihood technique

$t_0$  resolution of  $\sim 33 \text{ ps}$

Expect  $\langle n_{\text{minbias}} \rangle$  of 2 for 132 ns

bunch spacing and  $L = 2 \times 10^{32}$

# Measurements from 5% coverage beam test at end of last collider run

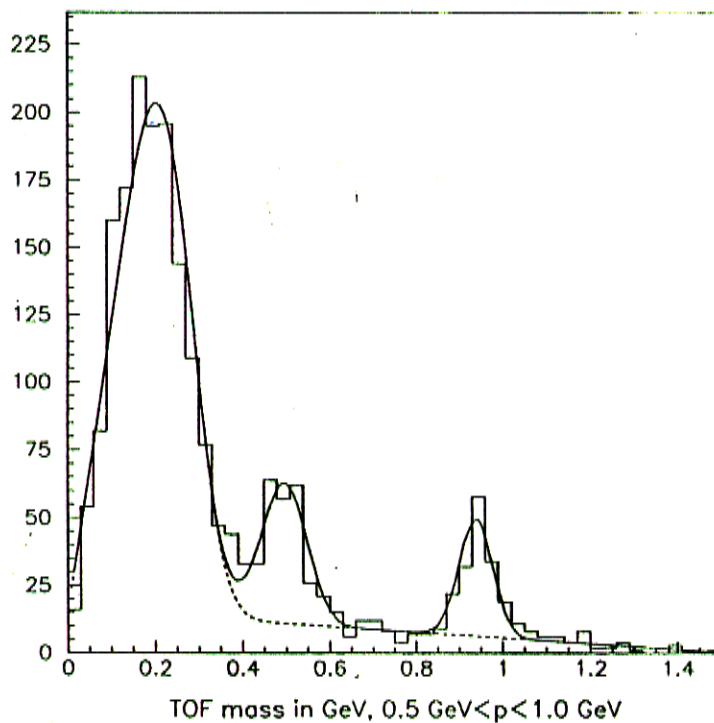


Figure 3.16: The measured TOF mass ( $m_f$ ) spectrum for tracks with  $0.5 \text{ GeV}/c < p < 1.0 \text{ GeV}/c$ . The solid line is the result of a fit to the spectrum which includes contributions from pions, kaons, protons, and a linear background. The dashed line shows contribution of only the pion and background terms.

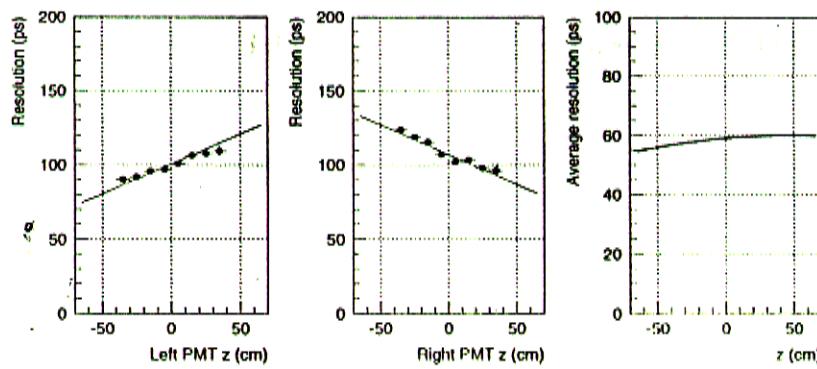


Figure 3.17: Timing resolution from cosmic rays for left and right PMT's as functions of z-position. The average resolution, relevant for particle identification, was  $\mathcal{O}(60\text{ps})$  in this study.